Hydrodynamic scenario of the formation of natural hydrogen accumulation in underground reservoir

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This work was initiated by **Michel Panfilov** a couple of years ago, when he made calculations for the underground storage of hydrogen and its possible leakage through heterogeneous layers.

In last months of his illness, he persistently asked to complete this work in the application for the natural hydrogen accumulatios.

So, this work was completed and simulated by me, my colleague from Lemta, Antonio Pereira, and student of ENSG, Cheikh Oumar Ba.

Irina Panfilov, 15.11.2023



Hydrogen emissions

H2 emissions are characterized by:

- circular areas : lakes or swamps
- white/blue colour of circles
- deforestation
- soil subsidence
- accelerated karst formation

Omsk region (Russia)







Kustanai region (Kazakhstan)







Kogalym (Khanty-Mansiisk region - Russia)







Destruction of black earth soil in Lipetsk (Russia)







Panfilov's hypothesis of formation of natural H2 deposits





H2 genesis



Serpentinization: T=0 – 500 °C





Estimation of H2 flux

	Flux at the bottom m ³ /(s·km ²)	
Geological data:	0.005 - 0.015	= (0.43 – 1)·10 ⁴ m³/day/10 km²
Hydrodynamics:	0.0043 - 0.042	K=10 ⁻¹⁷ - 10 ⁻¹⁶ D (0.001 - 0.01 mD)
Diffusion trough water:	0.00003	
Diffusion through dense gas:	0.0005	



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Buckley-Leverett model for 2 phase flow in homogeneous medium

$$\begin{aligned} \frac{\partial s}{\partial t} + UF'(s)\frac{\partial s}{\partial x} &= 0, \quad U\varphi = V_1 + V_2 \quad \text{total flow velocity} \\ S\big|_{t=0} &= S^0, \qquad S\big|_{x=0} = S^{\text{inj}} \\ \vec{V}_i &= \frac{K \cdot k_i(s)}{\mu_i} \operatorname{grad}(P_i + \rho_i g_Z) \quad i = 1,2 \\ F(s) &\equiv \frac{V_1}{V_1 + V_2} = \frac{k_1(s)}{k_1(s) + k_2(s)\bar{\mu}} \quad \text{fractional flow,} \quad \bar{\mu} \equiv \frac{\mu_1}{\mu_2} \end{aligned}$$

The solutions are totally determined by the function F(s)



Construction of analytical solution



The implicit equation which determines the saturation S(x,t):

$$x = U \cdot F'(s) \cdot t + x0$$



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Buckley-Leverett model for homogeneous medium



Demonstration of numerical simulation





Buckley-Leverett model of segregation

$$\frac{\partial s}{\partial t} + \beta \frac{\partial f(s)}{\partial x} = 0, \quad U = 0$$

$$f(s) \equiv F(s)k_g(s)$$
$$\beta \equiv \frac{gK(\rho_w - \rho_g)\sin\alpha}{\mu_g}$$





Model of rising of finite volume of gas



Panfilov M. Physico-chemical fluid dynamics in porous media. Wiley-VCH, 2019







Hydrodynamic scenarios of hydrogen upflow



 $K_{\text{Cover}} < K_{\text{Bot}} < K_{\text{Aq}}$





Demonstration of numerical simulation







Demonstration of numerical simulation



 $S^0 < S_f$

Stabilisation in time of H2 saturation for 2 cases of S°



Variation of initial saturation of H2





Conclusions

We have shown that the formation of hydrogen accumulation is possible, it occurs inside the aquifer during the phase of the return movement of the hydrogen wave reflected from the low permeable covering layer.

We have shown that hydrogen accumulations may not be formed if its forward flow exceeds the intensity of the backward wave.

We have found a hydrodynamic criterion for the formation of hydrogen deposits.

We have shown that at long times the solution of this system under the aquifer does not depend on the initial conditions and tends to the same state of a two-phase mixture with the same saturation of H2, the value of which is determined only by the effective permeability of the rocks and the phase permeabilities of hydrogen and water.

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